

# Sensorless Control with Switching Frequency Square Wave Voltage Injection for SPMSM with Low Rotor Magnetic Anisotropy

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**Abstract**—High-frequency signal injection sensorless algorithms are widely studied and used for rotor angle estimation in PMSM at low speed or standstill. One of the main drawbacks of such methods is the acoustic noise connected to the voltage injection. In order to minimize this problem, it is advisable to increase the frequency of the injected signal. Thus, many studies focus on square-wave injection at the switching frequency, which is the maximum theoretical frequency. Since these methods exploit the rotor magnetic anisotropy, it is relatively easy to use them in interior PMSMs, where the rotor anisotropy is high. On the contrary, it is hard to exploit them in surface PMSMs, which have an almost symmetric rotor, although a low rotor magnetic anisotropy is still present. In this paper, a sensorless algorithm with switching frequency square-wave injection is developed for surface PMSMs. To increase the signal-to-noise ratio, current oversampling is exploited. The benefits of such a technique are demonstrated with experimental results on a 2 Nm SPMSM.

**Index Terms**—Sensorless control, HF injection, square-wave injection, SPMSM.

## I. INTRODUCTION

PERMANENT Magnet Synchronous Motors (PMSMs) are achieving increasing importance in various sectors thanks to their features: high torque-to-inertia ratio, high torque density and low maintenance.

According to the rotor construction, PMSMs can be divided in two main categories: motors with magnets mounted on rotor surface (Surface PMSM, SPMSM) and motors with magnets mounted inside the rotor (Interior PMSM, IPMSM).

The different position of the magnets influences the rotor magnetic symmetry. Indeed, SPMSM rotor is almost symmetric from a magnetic point of view, i.e., the direct axis inductance ( $L_d$ ) is almost equal to the quadrature axis inductance ( $L_q$ ). On

the contrary, IPMSM are characterized by rotor anisotropy, i.e.,  $L_d$  value is lower than  $L_q$  value.

One of the main drawbacks of PMSM is that rotor position is needed in order to realize a proper control (usually a Field-Oriented Control, FOC). This measure can be obtained using encoders, resolvers, or hall effect probes. However, the use of such transducers is related to some disadvantages, the main of which are the cost increase, the machine size increase, and the reliability reduction. For this reason, many studies focus on rotor angle estimation, in order to eliminate the position sensor; thus, such techniques are known as sensorless algorithms.

Sensorless controls can be divided in two main groups: passive methods and active methods.

Passive methods are based on estimators and exploit the machine model to determine rotor angle. Various techniques have been proposed so far. Disturbance observers for back ElectroMotiveForce (back-EMF) estimation are developed in [1-3], a reduced-order extended Kalman filter is proposed in [4-7], whereas sliding-mode observers are exploited in [8, 9]. Other passive methods are based, instead, on rotor flux estimation [10, 11]. All above-mentioned techniques are characterized by performance degradation in the low-speed region since the back-EMF tends to zero while speed approaches zero.

For this reason, active methods are used in the low-speed region. These methods exploit the rotor anisotropy by injecting a high-frequency (HF) voltage and demodulating the corresponding HF measured current.

The HF voltage can be injected in the stationary reference frame (rotating HF injection) [12-14] or in the synchronous reference frame (pulsating HF injection) [15-19].

The HF injection is connected to various drawbacks, e.g., additional losses, torque ripple, and acoustic noise. In various applications, the additional acoustic noise caused by the HF injection could be intolerable. Since the acoustic noise is significantly reduced if the injection frequency is increased, many studies focus on frequency increase. If a single current

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sample and a single PWM update are performed for each PWM period, the maximum frequency is achievable by injecting a square wave with a frequency equal to half of the switching frequency ( $f_{sw}/2$ ) [20-23]. If double sample/double update is performed, a square wave with a frequency equal to  $f_{sw}$  can be injected [24, 25].

As it will be shown in Section II, the current component containing the angle information is proportional to the anisotropy ratio (i.e.,  $(L_q-L_d)/L_q$ ), thus, the higher is the difference between  $L_q$  and  $L_d$ , the easier is to estimate precisely the rotor position. For this reason, HF voltage injection methods are particularly suitable for IPMSMs.

The studies considering square-wave voltage injection at  $f_{sw}/2$  and  $f_{sw}$  [20-25] are all carried out on IPMSM. On the contrary,  $f_{sw}$  square-wave injection on SPMSM is not investigated in the technical literature. Indeed, this is a particularly hard task, since the anisotropy ratio is very limited. The anisotropy ratio was equal to 46% for the motor considered during experimental tests in [20], 67% in [21], 54% in [22], 40% in [23], 21% in [24] and 33% in [25].

Several articles deal with sensorless control exploiting PWM ripple and measuring the current derivative with a measure oversampling [26-29]. The current derivative evaluation can be performed during an active voltage vector [26] or during a zero voltage state [27]; in [28] the current derivative is calculated during the longer state, which can be an active vector or a zero vector depending on the working point. Nevertheless, also this technique is carried out on motors with high anisotropy ratio: 22% in [26], 78% in [28] and 17% in [29]. In [27], a SPMSM is considered, however a highly precise sigma-delta measuring system is needed. Although it is very low, magnetic anisotropy is also present in SPMSM motors. Indeed, there is still a slight asymmetry where the magnets are attached to the rotor and, furthermore, the magnetic permeability of magnets is not exactly the same as that of air.

In this paper, differently from the above cited works, a SPMSM with about a 10% anisotropy ratio, evaluated at 5 kHz, is considered. Therefore, there is a significant problem connected to the signal-to-noise ratio of current measurements. This aspect is particularly critical since in this paper standard industrial LEM sensors are used instead of high-precision sensors, in order to test algorithm robustness.

To overcome this problem, a new demodulation method with current oversampling while using square-wave voltage injection is proposed in this paper exploiting FPGA use. Current measurements with the double sample and with the oversample are compared. Then, a FOC is implemented exploiting the rotor angle estimation with the current oversample.

The paper is organized as follows. The estimation algorithm is described in Section II. The experimental test bench is shown in Section III, whereas the experimental results are reported in Section IV. Finally, conclusions are carried out in Section V.

## II. ESTIMATION ALGORITHM

### A. Principle of high-frequency pulsating injection

PMSM equation in the rotor (synchronous) reference frame is shown in equation (1)

$$\begin{bmatrix} v_d^r \\ v_q^r \end{bmatrix} = R_s \begin{bmatrix} i_d^r \\ i_q^r \end{bmatrix} + \begin{bmatrix} L_d & 0 \\ 0 & L_q \end{bmatrix} \frac{d}{dt} \begin{bmatrix} i_d^r \\ i_q^r \end{bmatrix} + \omega_r \begin{bmatrix} 0 & -L_q \\ L_d & 0 \end{bmatrix} \begin{bmatrix} i_d^r \\ i_q^r \end{bmatrix} + \omega_r \lambda_f \begin{bmatrix} 0 \\ 1 \end{bmatrix} \quad (1)$$

where  $[v_d^r, v_q^r]^T$  and  $[i_d^r, i_q^r]^T$  are the stator voltage and current components in the rotor reference frame,  $L_d$  and  $L_q$  are the d-axis and q-axis inductances,  $\omega_r$  is the rotor speed and  $\lambda_f$  is the permanent-magnet flux linkage.

If a HF voltage is injected in the rotor reference frame, the stator resistance can be neglected, since the terms  $L_d \frac{di_d^r}{dt}$  and  $L_q \frac{di_q^r}{dt}$  are significantly higher in comparison to the  $R_s i_d^r$  and  $R_s i_q^r$  ones. Moreover, since the HF voltage injection is exploited in the low-speed region, the rotor speed  $\omega_r$  is negligible in comparison to the injected voltage frequency. Therefore, equations (1) can be simplified in equation (2)

$$\begin{bmatrix} v_{dh}^r \\ v_{qh}^r \end{bmatrix} = \begin{bmatrix} L_d & 0 \\ 0 & L_q \end{bmatrix} \frac{d}{dt} \begin{bmatrix} i_{dh}^r \\ i_{qh}^r \end{bmatrix} \quad (2)$$

where  $[v_{dh}^r, v_{qh}^r]^T$  and  $[i_{dh}^r, i_{qh}^r]^T$  are the HF voltage and current components. From equation (2), one can obtain equation (3).

$$\begin{bmatrix} i_{dh}^r \\ i_{qh}^r \end{bmatrix} = \int \begin{bmatrix} L_d & 0 \\ 0 & L_q \end{bmatrix}^{-1} \begin{bmatrix} v_{dh}^r \\ v_{qh}^r \end{bmatrix} dt \quad (3)$$

In this study, the HF voltage is injected in the d-axis (pulsating HF injection). Since the rotor position is unknown, it is necessary to distinguish between the Real rotor Reference Frame (RRF) and the Estimated rotor Reference Frame (ERF). The rotor angle error between the RRF and the ERF can be defined as in equation (4).

$$\tilde{\theta}_r = \theta_r - \hat{\theta}_r \quad (4)$$

The HF voltage is injected in the ERF d-axis, as shown in equation (5)

$$\begin{bmatrix} v_{dh}^{\hat{r}} \\ v_{qh}^{\hat{r}} \end{bmatrix} = V_h \begin{bmatrix} \cos \omega_h t \\ 0 \end{bmatrix} \quad (5)$$

where  $[v_{dh}^{\hat{r}}, v_{qh}^{\hat{r}}]^T$  are the HF voltage components in the ERF,  $V_h$  is the amplitude of the injected voltage and  $\omega_h$  is the frequency of the injected voltage.

Since it exists an angle error  $\tilde{\theta}_r$  between the RRF and the ERF, the voltage injection in the RRF is given by equation (6), from which it derives equation (7).

$$\begin{bmatrix} v_{dh}^r \\ v_{qh}^r \end{bmatrix} = \begin{bmatrix} \cos \tilde{\theta}_r & \sin \tilde{\theta}_r \\ -\sin \tilde{\theta}_r & \cos \tilde{\theta}_r \end{bmatrix} V_h \begin{bmatrix} \cos \omega_h t \\ 0 \end{bmatrix} \quad (6)$$

$$\begin{bmatrix} v_{dh}^r \\ v_{qh}^r \end{bmatrix} = V_h \begin{bmatrix} \cos \tilde{\theta}_r \cos \omega_h t \\ -\sin \tilde{\theta}_r \cos \omega_h t \end{bmatrix} \quad (7)$$

The current components  $[i_{dh}^r, i_{qh}^r]$  in the ERF are related to the current components in the RRF by equation (8). Substituting equation (3) in equation (8), one obtains equation (9).

$$\begin{bmatrix} i_{dh}^r \\ i_{qh}^r \end{bmatrix} = \begin{bmatrix} \cos \tilde{\theta}_r & -\sin \tilde{\theta}_r \\ \sin \tilde{\theta}_r & \cos \tilde{\theta}_r \end{bmatrix} \begin{bmatrix} i_{dh}^r \\ i_{qh}^r \end{bmatrix} \quad (8)$$

$$\begin{bmatrix} i_{dh}^r \\ i_{qh}^r \end{bmatrix} = \begin{bmatrix} \cos \tilde{\theta}_r & -\sin \tilde{\theta}_r \\ \sin \tilde{\theta}_r & \cos \tilde{\theta}_r \end{bmatrix} \int \begin{bmatrix} L_d & 0 \\ 0 & L_q \end{bmatrix}^{-1} \begin{bmatrix} v_{dh}^r \\ v_{qh}^r \end{bmatrix} dt \quad (9)$$

Substituting equation (6) in equation (9) and developing the calculations, one finally obtains equation (10)

$$\begin{bmatrix} i_{dh}^r \\ i_{qh}^r \end{bmatrix} = \frac{V_h}{\omega_h} \begin{bmatrix} \left( \frac{\cos^2 \tilde{\theta}_r}{L_d} + \frac{\sin^2 \tilde{\theta}_r}{L_q} \right) \sin \omega_h t \\ \frac{1}{2} \left( \frac{\Delta L}{L_d L_q} \right) \sin 2\tilde{\theta}_r \sin \omega_h t \end{bmatrix} \quad (10)$$

where  $\Delta L = L_q - L_d$ .

From equation (10) one can demodulate the  $i_{qh}^r$  component as in equation (11).

$$\varepsilon = i_{qh}^r \sin(\omega_h t) = \left[ \frac{V_h}{\omega_h} \frac{1}{2} \left( \frac{\Delta L}{L_d L_q} \right) \sin^2 \omega_h t \right] \sin 2\tilde{\theta}_r \quad (11)$$

For small errors, equation (12) is verified and therefore equation (11) can be approximated as in equation (13).

$$\sin(2\tilde{\theta}_r) \approx 2\tilde{\theta}_r \quad (12)$$

$$\varepsilon \approx \left[ \frac{V_h}{\omega_h} \left( \frac{\Delta L}{L_d L_q} \right) \sin^2 \omega_h t \right] \tilde{\theta}_r \quad (13)$$

Since the quantity in the square bracket is always positive  $\varepsilon$  is proportional to  $\tilde{\theta}_r$  and can be therefore used as feedback error to implement the rotor angle estimator.

### B. Proposed square-wave injection with current oversample

In this paper an ERF square wave is injected in the d-axis, as shown in equation (14)

$$\begin{bmatrix} v_{dh}^r \\ v_{qh}^r \end{bmatrix} = V_h \begin{bmatrix} -\text{sign} \frac{dcw(t)}{dt} \\ 0 \end{bmatrix} \quad (14)$$

where  $cw = cw(t)$  is the PWM Carrier Wave which can be expressed as in (15)

$$cw(t) = 4 \left\lfloor f_{cw} t - \left[ f_{cw} t + \frac{1}{2} \right] \right\rfloor - 1 \quad (15)$$

where  $f_{cw}$  is the frequency of the carrier wave and  $\lfloor \cdot \rfloor$  indicates the floor function. From (14), equation (16) follows.

$$\begin{bmatrix} v_{dh}^r \\ v_{qh}^r \end{bmatrix} = \begin{bmatrix} \cos \tilde{\theta}_r & \sin \tilde{\theta}_r \\ -\sin \tilde{\theta}_r & \cos \tilde{\theta}_r \end{bmatrix} V_h \begin{bmatrix} -\text{sign} \frac{dcw(t)}{dt} \\ 0 \end{bmatrix} \quad (16)$$

Since equation (9) is valid for an arbitrary voltage injection and the relation in equation (17) can be verified, substituting equation (16) and (17) in equation (9) leads to equation (18).

$$\int \text{sign} \left[ \frac{dcw(t)}{dt} \right] dt = \frac{cw}{4f_{sw}} \quad (17)$$

$$i_{qh}^r = \left[ \frac{V_h}{8f_{sw}} \left( \frac{\Delta L}{L_d L_q} \right) (-cw) \right] \cdot \sin 2\tilde{\theta}_r \quad (18)$$

From equation (18) one can demodulate the  $i_{qh}^r$  component as in equation (19).

$$\varepsilon = i_{qh}^r \sin \left( -cw \frac{\pi}{2} \right) = \quad (19)$$

$$\left[ \frac{V_h}{8f_{sw}} \left( \frac{\Delta L}{L_d L_q} \right) (-cw) \cdot \sin \left( -cw \frac{\pi}{2} \right) \right] \cdot \sin 2\tilde{\theta}_r$$

For small errors, equation (12) is valid and therefore equation (19) can be approximated as in equation (20).

$$\varepsilon \approx \left[ \frac{V_h}{4f_{sw}} \left( \frac{\Delta L}{L_d L_q} \right) (-cw) \sin \left( -cw \frac{\pi}{2} \right) \right] \tilde{\theta}_r \quad (20)$$

Since  $cw \in [-1; 1]$ , the quantity in the square bracket is always positive, thus  $\varepsilon$  is proportional to  $\tilde{\theta}_r$  and can be therefore used as feedback error to implement the rotor angle estimator.

Injecting a square wave at  $f_{sw}$  frequency, a double PWM update is necessary for each period; moreover, at least two current samples must be performed in each PWM period [24].

As it can be noticed from equation (10), the  $i_{qh}^r$  component is proportional to the anisotropy ratio, i.e.,  $\Delta L / L_q$ . Since this study focuses on SPMSMs, which are characterized by a very low anisotropy ratio, the  $i_{qh}^r$  fundamental component is considerably weak; as a consequence, the signal-to-noise ratio is weak.

In this paper, current oversampling is proposed to increase the signal-to-noise ratio, as shown in the control scheme of Fig. 1. As a matter of fact, the noise in current measurements can be usually assumed as Gaussian white noise with zero mean; therefore, by oversampling the current measurements and

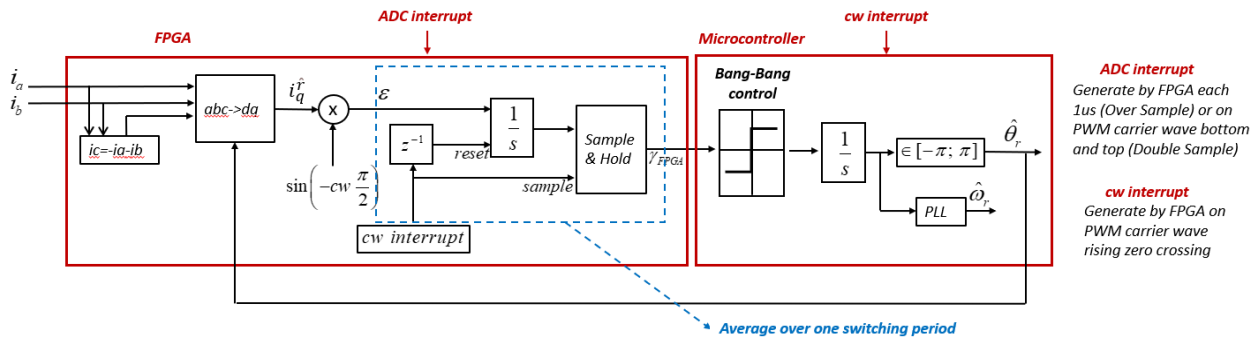


Fig. 1 HF voltage injection and rotor angle estimation algorithm

calculating the average over one switching period, the noise decreases [26–29]. In order to evaluate the effectiveness of the proposed solution, both the double sample per period technique (DS) and the oversampling technique (OS) are implemented and tested. The two different approaches are shown in Fig. 2 and Fig. 3. Please note that, since the fundamental frequency is significantly lower than the injection frequency, it can be considered as a constant during the switching period, therefore  $i_q^f$  can be used to estimate the angle instead of  $i_{qh}^f$ . Indeed, the integration of a constant (low-frequency fundamental waveform) multiplied by the sine function (equation (18)), leads to zero contribution.

In both figures, the PWM carrier wave, the ADC sample interrupt, the cw interrupt, the gate pulses and the  $v_{dh}^f$  are shown. Details on the experimental test bench are provided in Section III; however, oscilloscope acquisitions in Fig. 2 and Fig. 3 are here reported to explain the proposed technique.

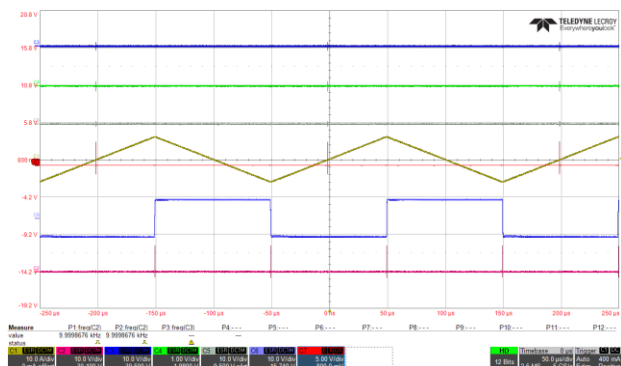


Fig. 2 Double sample per period (DS). Gate pulses (blue, green and grey), PWM carrier wave (yellow), (violet), ADC sample interrupt (pink), cw interrupt (red).

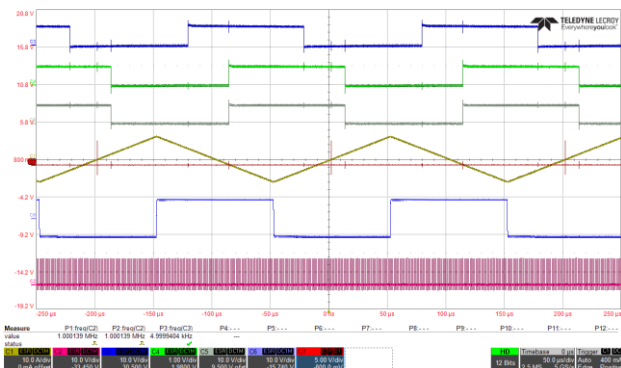


Fig. 3 Oversampling technique (OS). Gate pulses (blue, green and grey), PWM carrier wave (yellow), (violet), ADC sample interrupt (pink), cw interrupt (red).

In the DS, the currents are sampled on PWM carrier wave bottom and top, as it is shown in Fig. 2. In the OS, the current sample is performed each  $1 \mu\text{s}$  (i.e., 200 samples per PWM period, being fsw equal to 5 kHz), as Fig. 3 shows.

In order to implement the proposed algorithm, a FPGA is exploited. In particular, the PWM carrier wave, the  $v_{dh}^f$  injection, the gate pulse signals, and the ADC interrupts are managed by the FPGA, as shown in Fig. 1. The ADC interrupts are generated each  $1 \mu\text{s}$  in the OS and on carrier wave bottom and top in the DS. Moreover, equation (18) is implemented in the FPGA. As a matter of fact, for each ADC interrupt, a value of the error  $\varepsilon$  is calculated and integrated; the integrator is reset each carrier wave interrupt (cw interrupt). Since error  $\varepsilon$  is in FPGA arbitrary units, the integration output corresponds to the error average over the switching period, as indicated by the blue rectangle in Fig. 1. Please note that the cw interrupt is generated by the FPGA on the carrier wave rising zero crossing.

The output of  $\varepsilon$  integrator is sampled each cw interrupt and the sample and hold output ( $\gamma_{FPGA}$ ) is sent to the microcontroller. The signal is sent to a bang-bang control which gives as output -1 or +1, multiplied by an opportune gain. The bang-bang output corresponds to the estimated speed and the bang-bang gain is the maximum speed at which the control can work. Therefore, the estimated speed is integrated to obtain the estimated angle  $\hat{\theta}_r$ , which is used by the FPGA for current demodulation and by the FOC control implemented in the microcontroller. Since the output of the bang-bang control cannot be used as speed feedback in the FOC (indeed it provides only the maximum or the minimum speed value), a PLL is used to evaluate the estimated speed  $\hat{\omega}_r$  from  $\hat{\theta}_r$ . The algorithm in the microcontroller is executed each cw interrupt, i.e., once per PWM period.

In terms of FPGA computational complexity, as can be noted from Fig. 1, the two most expensive operations are the currents abc-to-dq transformation and the  $\sin(-cw \pi/2)$  calculation. Regarding the former, please note the angle  $\hat{\theta}_r$  is updated at the microcontroller sampling frequency. For this reason the  $\sin(\hat{\theta}_r)$  and  $\cos(\hat{\theta}_r)$  quantities are calculated in the microcontroller and passed to the FPGA. In this way the abc-to-dq transformation reduces to 6 multiplications and 4 sums. Modern FPGAs are usually equipped with tens of multiplier making this operation not particularly computationally

expensive. The  $\sin(-cw \pi/2)$  operation is performed using a CORDIC algorithm. The latter works with integer numbers and return the results in a number of clock cycles equal to the number of bits used for number representation. In this work a 32 bits representation is used. Also in this case 32 clock cycles are an acceptable delay compared to the 100 clock cycles available every sample time (sampling at  $1\mu\text{s}$  with an FPGA clock frequency of 100MHz).

### III. TEST BENCH

The control hardware used to perform the experimental tests is shown in Fig. 4. The algorithm is implemented in Dspace MicrolabBox, which integrates an FPGA and a microcontroller. Two currents are measured with 10A LEMs. The gate pulses are sent as single-ended digital signals to a custom board which converts the signals to fiber optic signals used to control the inverter. In order to obtain the measurements shown in Fig. 2 and Fig. 3, the ADC interrupt drives a digital output, whereas the PWM carrier wave and the  $v_{dh}^f$  drive two analog outputs; please note that since conversion from FPGA units to volts is performed, the scales in Fig. 2 and Fig. 3 for such quantities are not significant. The gate signals are measured on the custom board with the oscilloscope. Dspace MicrolabBox has a resolver interface, which is used to measure the rotor angle, in order to compare it with the estimated one.

TABLE I  
FIRST TEST MOTOR PARAMETERS

Parameter	Value
Rated torque	2 Nm
Rated speed	5000 rpm
Rated power	1.04 kW
Rated voltage	376V
Rated current	2.2 A
Pole pairs	4
Rated flux	0.147 Wb
Ld/Lq @ 5kHz	5.59/6.26 mH
Load-motor rated torque	25.7 Nm
Load-motor rated speed	2000 rpm
Load-motor drive maximum speed	2500 rpm

TABLE II  
CONTROL PARAMETERS

Parameter	Value
Vh	100 V
Bang-bang gain	$\pm 200$ rad/s
PLL kp	200
PLL ki	10000

The first motor test bench, used for tests presented in Section IV.A-F, is shown in Fig.5a, a 2 Nm motor is used to test the proposed algorithm, whereas a 25.7 Nm motor simulates the load. The load motor has an encoder and can perform a precise sensed control, to provide the desired torque. A prototype inverter is used to control the tested motor, whereas a commercial inverter is used to control the load-motor and the torque reference is sent via Modbus to the inverter by Dspace. The parameters of the first test motor are reported in Table I.

$L_d$  and  $L_q$  are measured with the LCR meter GW Instek LCR-817. The inverter used to supply the motor has 5 kHz switching frequency and  $4\mu\text{s}$  dead times; please note that this is quite high value. Dead times were not compensated on purpose, in order to test the algorithm robustness towards inverter non-linearities. The main parameters of the first load motor are also reported in Table I. Control parameters are reported in Table II. A second test bench equipped with a load cell able to measure the motor torque is used for tests presented in Section IV.G, since torque fluctuations are also evaluated in that case. The second test bench is shown in Fig. 5c, while the parameters of the second test motor are listed in Table III. The second test motor was connected to the same experimental setup and control hardware as the first one, and coupled with another SPMSM to provide the load torque when needed.

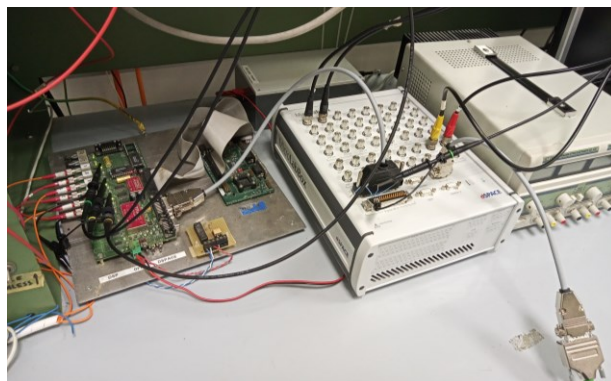
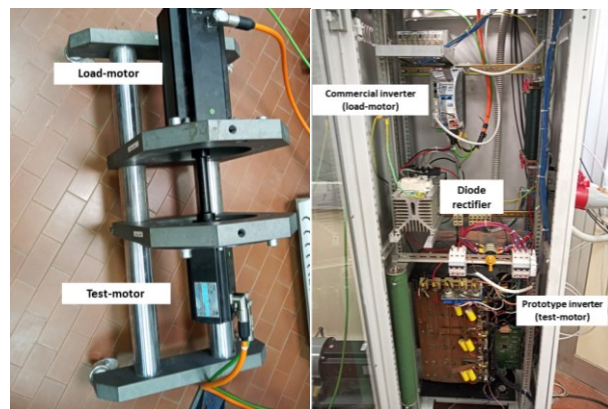


Fig. 4 Control hardware



(a)

(b)



(c)

Fig.5 Experimental setup. (a) First motor test bench, (b) Inverters, (c) Second motor test bench

TABLE III  
SECOND TEST MOTOR PARAMETERS

Parameter	Value
Rated torque	10 Nm
Rated speed	1995 rpm
Rated power	2.09 kW
Rated voltage	376V
Rated current	3.6 A
Pole pairs	4
Rated flux	0.34 Wb
Ld/Lq @ 5kHz	4.9/5.3 mH
Load-motor rated torque	29 Nm
Load-motor rated speed	3000 rpm

The injected voltage amplitude  $V_h$  is 100V; this value is chosen empirically to obtain a good angle estimation as shown in Fig. 7. Please note that at standstill the maximum injectable voltage is  $V_{dc}/2$ , i.e., approximately, 280V. Therefore, there is a significant voltage margin in the low speed region, where the proposed algorithm is used, since 35% of  $V_{dc}/2$  is injected. Moreover, the injected voltage amplitude is comparable with the values proposed in the technical literature. As a matter of fact, the injected voltage amplitude is 50 V in [20] for a 320V-motor, 8 V with a 50 V DC-link (32% of  $V_{dc}/2$ ) in [21], 85V for a 380V-motor in [23] and 50 V with a 250 V dc-link (40% of  $V_{dc}/2$ ) in [24].

#### IV. EXPERIMENTAL RESULTS

##### A. FGPA output in open-loop

In order to verify the effectiveness of the proposed OS, in comparison to a traditional DS, the FPGA output  $\gamma_{FPGA}$  (i.e., the sample and hold output in Fig.1) is measured with a fixed estimated angle ( $\hat{\theta}_r$ ) and a variable rotor angle ( $\theta_r$ ). In other words, the microcontroller algorithm is disabled, the motor is moved by the coupled motor and a fixed  $\hat{\theta}_r$  is used to perform the axis transformation from the measured currents (stationary reference frame) to the dq-currents (ERF); in this condition,  $\gamma_{FPGA}$ , which is proportional to the angle error, is measured. This test is performed for various angle  $\hat{\theta}_r$ ; the case in which  $\hat{\theta}_r = 0$  is shown in the following, just as an example.

Observing the  $i_{qh}^p$  expression in equation (20), applying the demodulation process of equation (19), it is easy to observe that  $\gamma_{FPGA}$  should be theoretically as in equation (21)

$$\gamma_{FPGA} = K \sin(2\tilde{\theta}_r) \quad (21)$$

where K depends on  $L_d, L_q, V_h, f_{sw}$ , on ADC conversion factor and on the number of samples per period. Therefore, K is a constant for each type of sampling method; as a matter of fact, it depends only on motor parameters, on HF voltage injection waveform, on the measurement hardware and on the number of samples per period.

The motor is turned several times with the external motor and the  $\gamma_{FPGA}$  is plotted as a function of the angle error, together

with the ideal plot;  $\gamma_{FPGA}$  with the DS is shown in Fig. 6, whereas  $\gamma_{FPGA}$  with the OS is shown in Fig. 7.

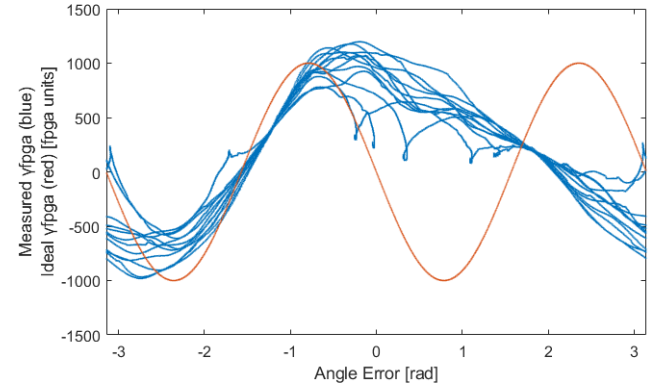


Fig. 6  $\gamma_{FPGA}$  as a function of angle error, DS. Measured value (blue) and ideal value (red).

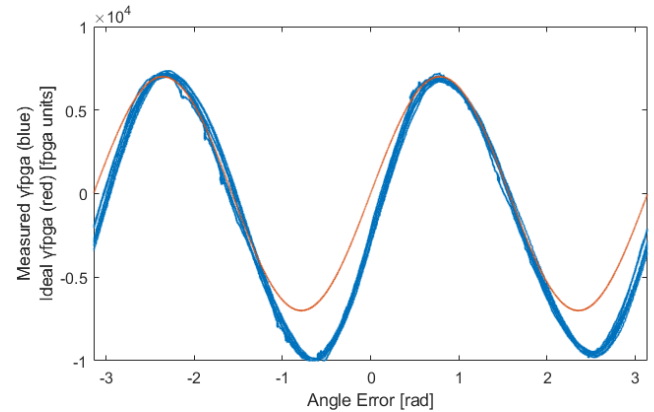


Fig. 7  $\gamma_{FPGA}$  as a function of angle error, OS. Measured value (blue) and ideal value (red).

From Fig. 6 and Fig. 7, one can observe that the DS, which is usually exploited for IPMSM [24], cannot be used for SPMSM since the signal-to-noise ratio is too low and the effect of high order harmonics is predominant. On the contrary, the OS shows a good correspondence with the ideal behavior and just a small offset can be noted; in particular, the angle error at the zero crossing (which is the parameter that affects the estimation algorithm of Fig. 1) is moderate.

##### B. Current oscillation during turn on/off transients

In order to evaluate the effects of the current oscillations during turn on/off transients, a modified oversampling method is tested, as reported in Fig. 8, where gate pulses (blue, green and grey), sample interrupt (pink) and carrier wave (yellow) are reported. Current sample is deactivated for 6  $\mu$ s during the switching.

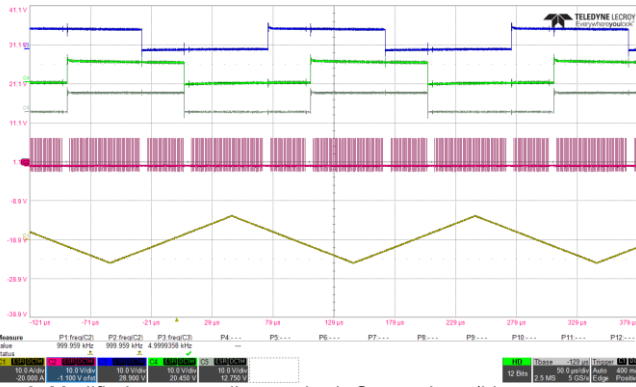


Fig. 8. Modified oversampling method. Gate pulses (blue, green, grey), PWM carrier wave (yellow), ADC sample interrupt (pink)

However, observing Fig. 9, one can note that the behaviour with the modified oversampling method is worse than the behaviour shown in Fig. 7; moreover, the modified oversampling method is more complicated to be implemented and therefore it is not used for the experimental tests.

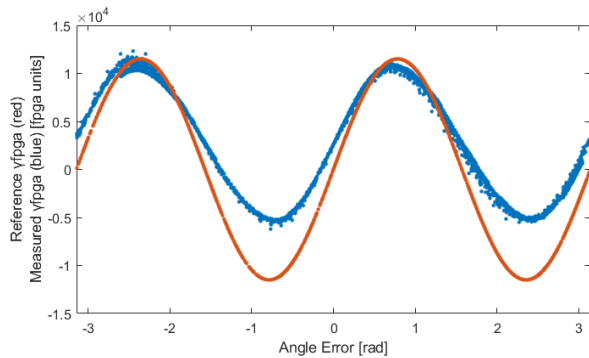


Fig. 9  $\gamma_{FPGA}$  as a function of angle error, Modified Oversampling. Measured value (blue) and ideal value (red).

In order to better understand the effect of current oscillations during switching phase, the instantaneous  $i_q$  value (calculated in the fpga each 1  $\mu$ s) is sent to a DAC and acquired with the oscilloscope.  $i_q$  is shown in Fig. 10 (blue), together with the  $\sin(cw \cdot \pi / 2)$  (green), the carrier wave (yellow) and  $V_{dh}$  (pink). One can note a significant oscillation during the switching phase; however, only a few current samples are performed during this phase, and, therefore, the contribution of these samples in the integration process carried out over the entire switching period is limited.

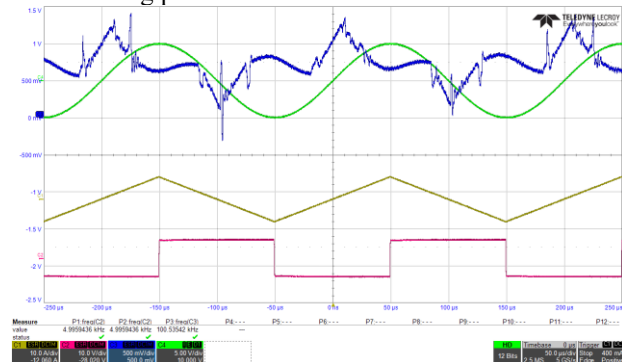


Fig. 10  $i_q$  (blue),  $\sin(cw \cdot \pi / 2)$  (green), carrier wave (yellow) and  $V_{dh}$  (pink).

### C. Speed-loop FOC control. Speed step in the low-speed region

From the results shown in Fig. 6 it is clear that the DS cannot be used to implement a FOC control. In confirmation of that, a motor starting with no-load using DS was tested and failed. Moreover, motor starting to 250 rpm, using OS, is performed and then the control is switched to DS, causing the loss of angle estimation, as shown in Fig. 11.

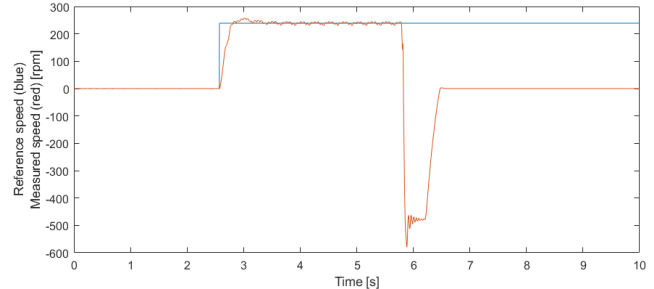


Fig. 11 Reference speed (blue) and measured speed (red). FOC control, no-load, starting with OS and switch to DS at 5.8s.

Therefore, a FOC control is realized with the angle estimator shown in Fig. 1 and exploiting the OS. The initial polarity uncertainly is detected as shown in [23, 30]. Reference and measured speed are shown in Fig. 12, where a test with speed steps without load is performed. The speed reference is set to 50 rpm (1% of the rated speed) and 250 rpm (5% of the rated speed). The corresponding angle error  $\tilde{\theta}_r$  is shown in Fig. 13, whereas an enlargement of measured angle and estimated angle is shown in Fig. 14.

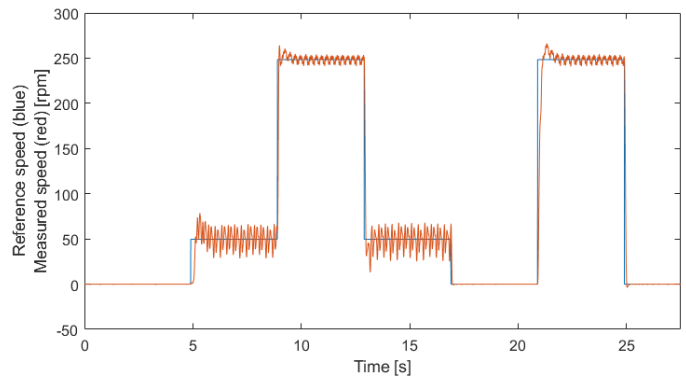


Fig. 12 Reference speed (blue) and measured speed (red). FOC control, no-load, OS.

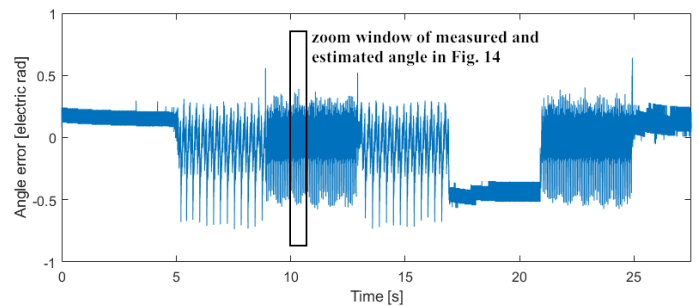


Fig. 13 Angle error. FOC control, no-load, OS.

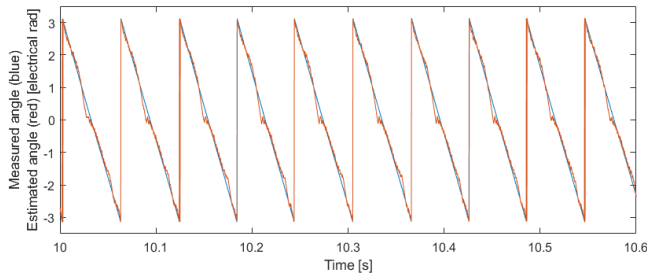


Fig. 14 Measured angle (blue) and estimated angle (red), enlargement. FOC control, no-load, OS.

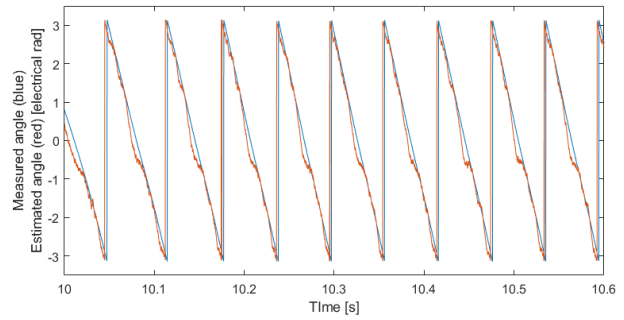


Fig. 17 Measured angle (blue) and estimated angle (red), enlargement. FOC control, full-load, OS.

The same test is carried out with full-load. A full-load step is applied at standstill, then the motor is started with full-load and speed steps are performed.

Reference and measured speed for the full load test are shown in Fig. 15. The corresponding angle error  $\tilde{\theta}_r$  is shown in Fig. 16, whereas an enlargement of the measured angle and estimated angle is shown in Fig. 17.

Even if a certain speed ripple can be seen, one has to note that the motor is working in the very-low speed region. Indeed the speed ripple at 50 rpm is about  $\pm 20$ rpm, which corresponds to  $\pm 0.4\%$  of the rated speed. Moreover, this method guarantees high robustness towards load perturbation at standstill and in the load-speed region (as demonstrated by the load step at standstill in Fig. 15), it allows to start the motor with full-load and it is then integrated with a model-based method for the medium-high speed region, where the motor usually works during steady-states as shown in Section IV.F.

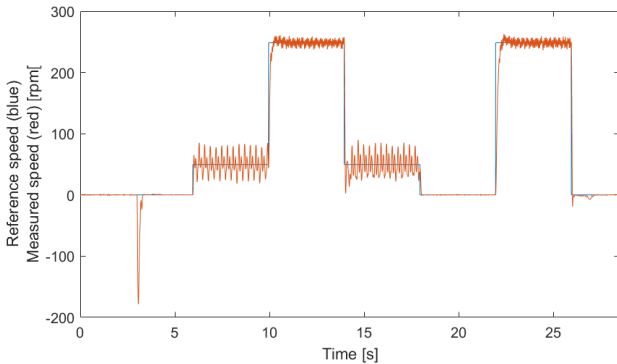


Fig. 15 Reference speed (blue) and measured speed (red). FOC control, full-load step at standstill, OS.

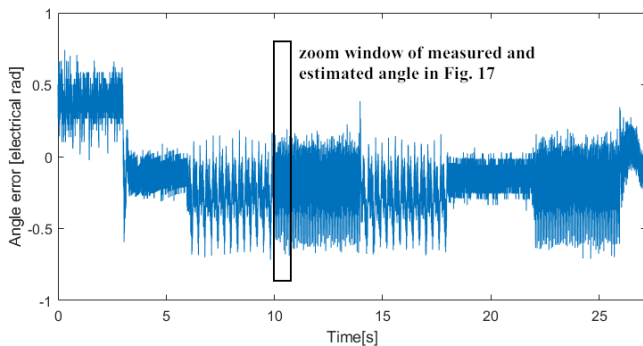


Fig. 16 Angle error. FOC control, full-load step at standstill, OS.

#### D. Speed-loop FOC control. Load step

A full-load step and a load release are applied both at 50 rpm and 250 rpm. Reference and measured speed during load steps at 50 rpm are shown in Fig. 18, angle error is shown in Fig. 19, whereas a phase current is shown in Fig. 20. The same quantities are shown for the load step at 250 rpm in Fig. 21, Fig. 22 and Fig. 23, respectively.

In both cases, the FOC control can face the load step and the estimation algorithm follows the rotor angle also during the load step.

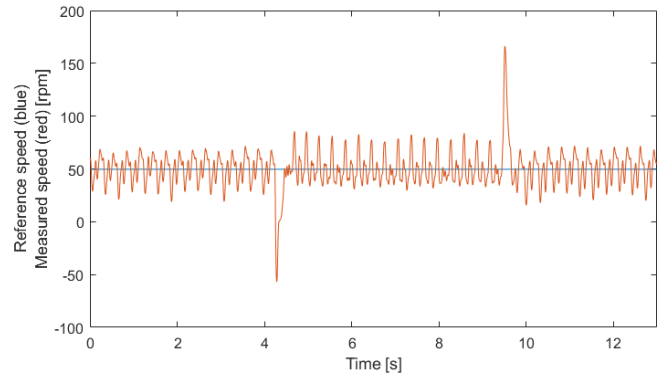


Fig. 18 Reference speed (blue) and measured speed (red). FOC control, load steps at 50 rpm, OS.

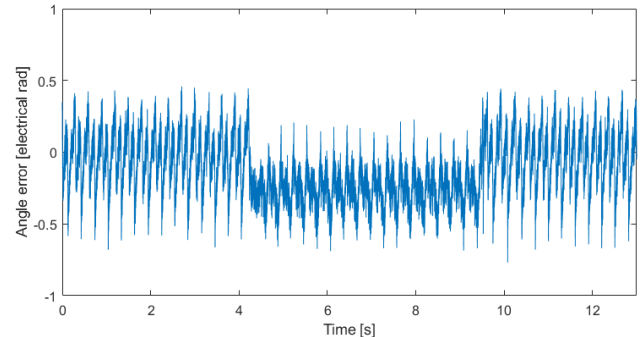


Fig. 19 Angle error. FOC control, load steps at 50 rpm, OS.



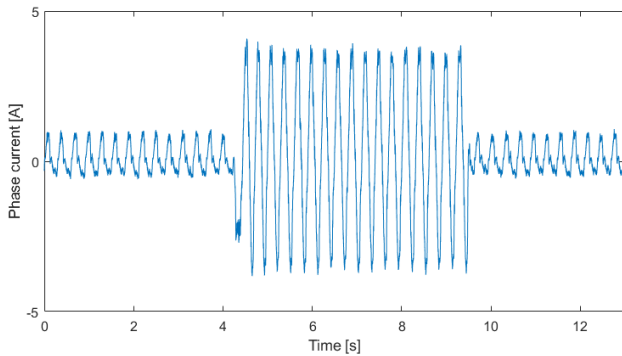


Fig. 20 Phase current. FOC control, load steps at 50 rpm, OS.

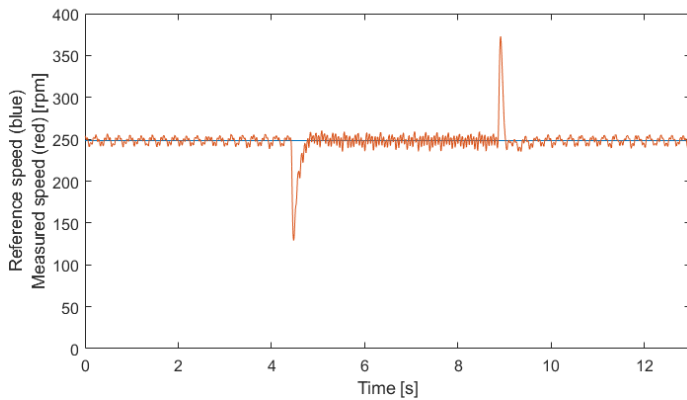


Fig. 21 Reference speed (blue) and measured speed (red). FOC control, load steps at 250 rpm, OS.

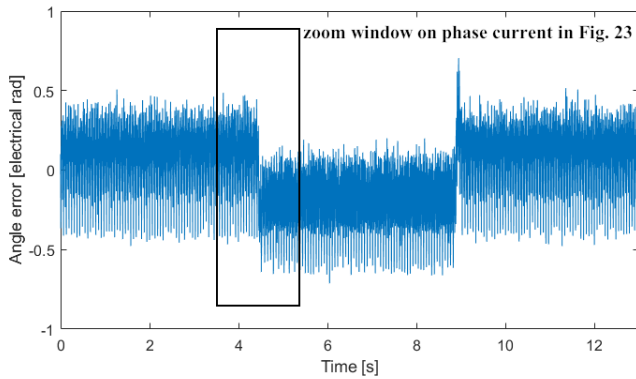


Fig. 22 Angle error. FOC control, load steps at 250 rpm, OS.

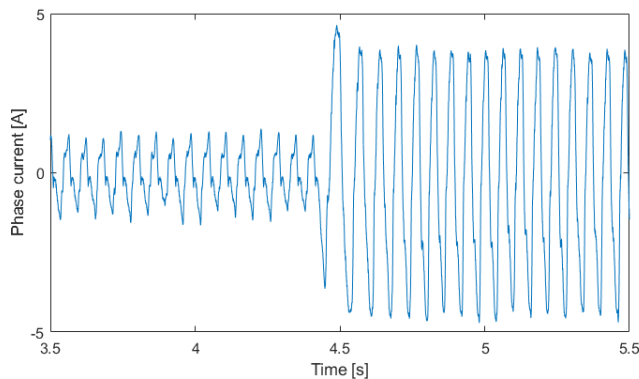


Fig. 23 Phase current. FOC control, load steps at 250 rpm, OS.

### E. Speed-loop FOC control. Sinusoidal reference

Tests with a sinusoidal speed reference at 5 Hz are performed. In Fig. 24, reference and measured speed are shown in the no-load case, whereas the same plot is shown in Fig. 25 for the test at full-load. From these results, one can note that the speed loop bandwidth is about 5 Hz.

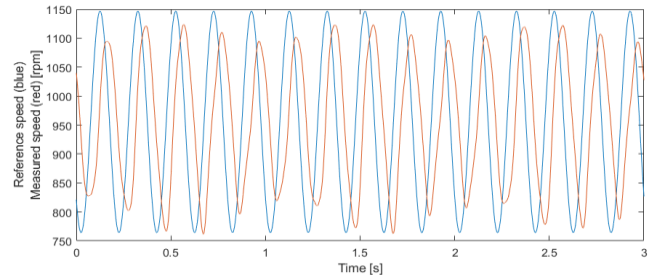


Fig. 24 Reference speed (blue) and measured speed (red). FOC control, 5 Hz speed reference, no-load, OS.

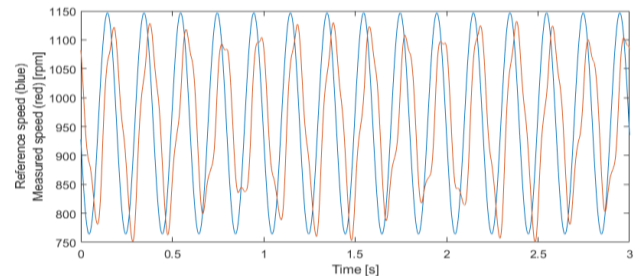


Fig. 25 Reference speed (blue) and measured speed (red). FOC control, 5 Hz speed reference, full load, OS.

### F. Integration with a model-based method for high-speed

The proposed technique is particularly indicated for standstill and for the low speed region. However, for medium and high speed, a model-based method is more suitable, since it does not require any additional signal injection. For this reason, the proposed HF method is integrated with the Rotor Flux Observer (RFO) proposed in [10] which was proven to have high performance in a wide speed range [31].

The HF method is used until 350 rpm (7% of the rated speed) and then the algorithm switches to the RFO method.

In Fig. 26 motor starting with no-load is shown; 50 rpm, 250 rpm and 5000 rpm (rated speed) steps are shown.

In Fig. 27, a full-load step is performed at standstill and then 50 rpm, 250 rpm and 2500 rpm (50% of rated speed) steps are shown. Please note that the load motor drive maximum operating speed is 2500 rpm, therefore load steps can be performed only in this speed range.

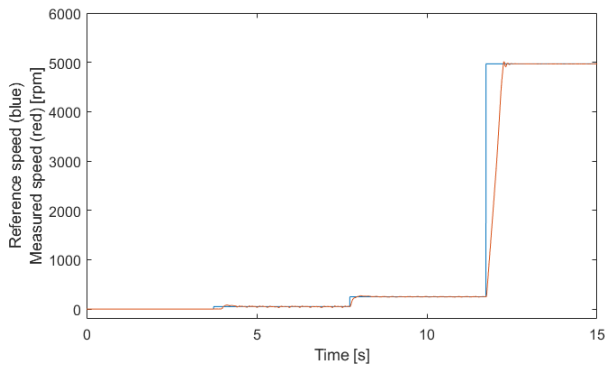


Fig. 26 Reference speed (blue) and measured speed (red). No-load, starting with HF and switch to RFO at 350 rpm

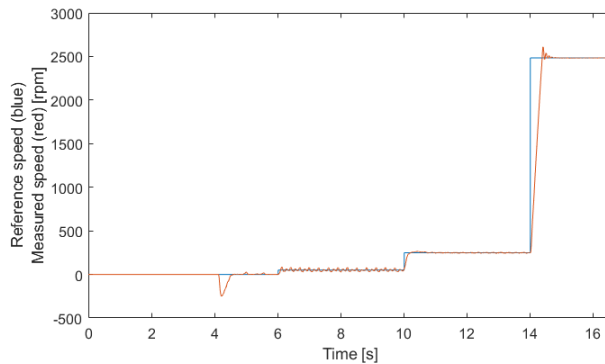


Fig. 27 Reference speed (blue) and measured speed (red). Full-load step at standstill, starting with HF and switch to RFO at 350 rpm

In Fig. 28, a full load-step is applied at 350 rpm (HF method), then the reference speed is set to 355 rpm (RFO method) and a negative and then a positive full-load steps are performed. Please note that with both methods the drive is able to perform a full-load step. Moreover, the speed ripple is comparable using HF and RFO methods.

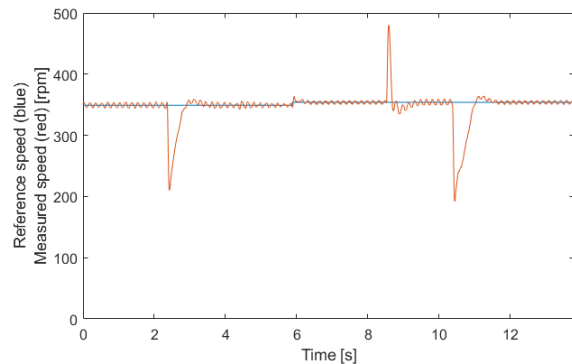


Fig. 28 Full-load step at 350 rpm (HF method). Speed reference to 355 rpm (RFO method), no-load and full-load steps.

Rotor position estimation is compared with the estimation of the model-based RFO (back-EMF). The comparison was carried out during the load test shown in Fig. 27. As it can be seen from Fig. 29, the RFO method does not estimate properly the angle during the load step that is imposed at a zero reference speed. At 50 rpm (Fig. 30) the angle error obtained with RFO method is similar to the one obtained with HF method, even if

it is slightly wider close to the reference speed step change, and at 250 rpm (Fig. 31) the angle error with the RFO method is slightly lower than the angle error with the HF method. However, the RFO method is able to perform a full-load step only starting from 300 rpm; for this reason the algorithm switches to RFO estimation at 350 rpm, in order to have a sufficient safety margin for load step disturbance rejection. Speed ripple at 350 rpm with HF method and at 355 rpm with RFO method is shown in Fig. 28. Despite the difference in the angle error the speed ripple is almost the same.

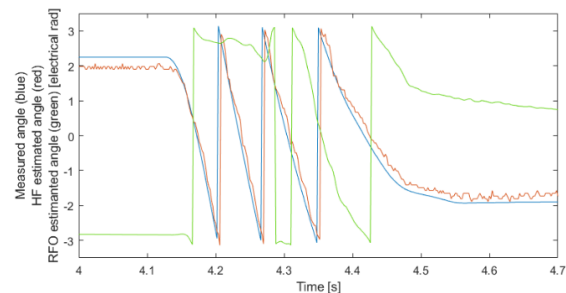


Fig. 29 Measured angle (blue), HF estimated angle (red), RFO estimated angle (green). Full-load step at standstill.

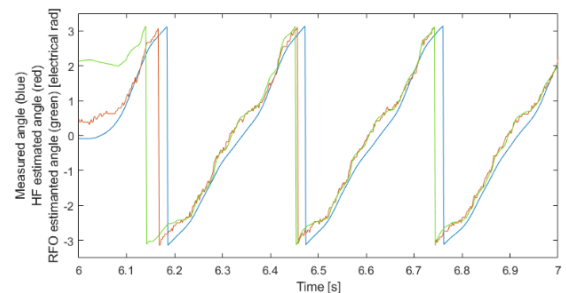


Fig. 30 Measured angle (blue), HF estimated angle (red), RFO estimated angle (green). Steady-state at 50 rpm.

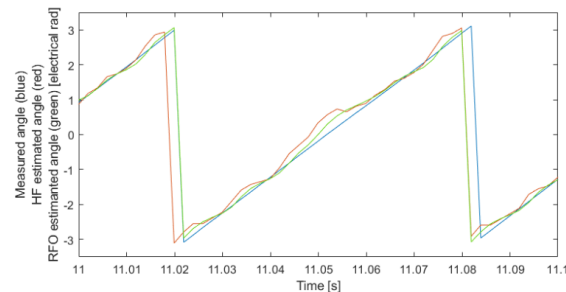


Fig. 31 Measured angle (blue), HF estimated angle (red), RFO estimated angle (green). Steady-state at 250 rpm.

### G. General validity of the proposed method and comparison with the state of the art

In this study, a particularly challenging application for sensorless switching frequency voltage injection is considered. The critical aspects are:

- Low anisotropy ratio (about 10% at 5kHz). In the considered motor, the permanent magnets are directly mounted on a symmetric rotor, therefore the anisotropy ratio is quite low and it is comparable with

the other ratio values found in the technical literature (9.8% in [32], 15% in [33]).

- Relatively low-switching frequency (5kHz).
- Elevate dead times (4 $\mu$ s).
- Current measures performed with two industrial standard LEM sensors.

Since it is proven that the proposed algorithm works in these conditions, it is expected that this method can work with good performance in the majority of industrial applications.

To evaluate the validity of the proposed method, a comparison with an algorithm which is representative of the state of the art has been performed. The sensorless torque control algorithm described in [32] was chosen for this test, as it is characterized by a low torque ripple and it was therefore considered by the authors as one of the most promising in the technical literature. Both the algorithms are tested in the same conditions on the second test bench, which is equipped with a load cell to measure the motor torque ripple in the two cases. First, a low-speed test with no-load, similar to the one described in Section IV.C, has been carried out. The reference speed is set to 50 rpm and then to 250 rpm. Fig. 32 shows the comparison between the results obtained with the sensorless torque control in [32] and with the proposed algorithm. As it can be easily noticed from the graphs, the proposed method is characterized by a significantly lower speed ripple at both speed levels.

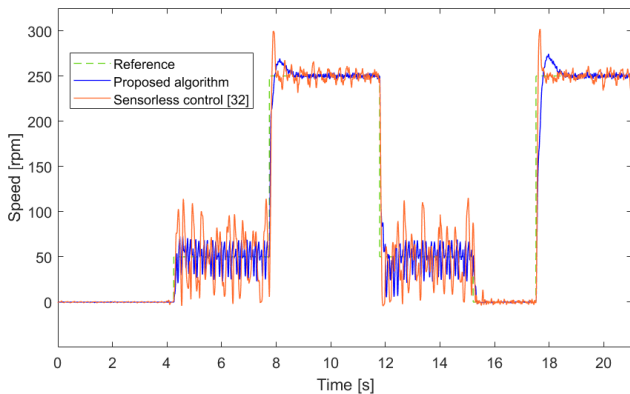


Fig. 32 Measured speed during speed steps with no-load, obtained with the proposed algorithm (blue) and with the sensorless torque control in [32] (red) on the second test bench.

Then, full-load tests were carried out using both algorithms. Fig. 33 and Fig. 34 show the speed and the measured torque, respectively, obtained applying and removing a full-load torque step to both algorithms, as the reference speed is kept equal to 250 rpm. As it can be seen from the figures, both algorithms react well to the load step at 250 rpm, showing a comparable speed ripple at full load. The speed and torque ripple before the appliance of the load step are larger in the case of the sensorless torque control in [32], though it has a lower torque ripple at rated load.

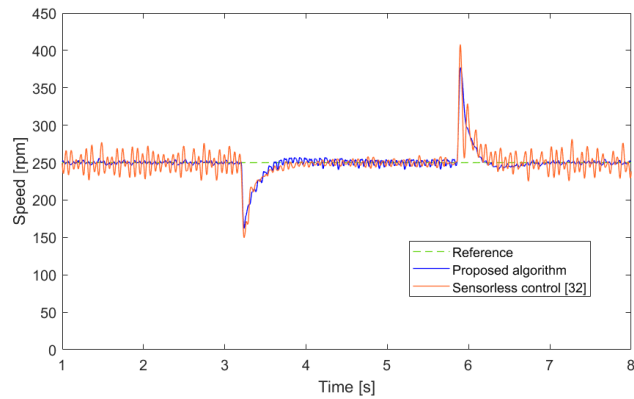


Fig. 33 Measured speed during rated load step appliance and removal at 250 rpm, obtained with the proposed algorithm (blue) and with the sensorless torque control in [32] (red) on the second test bench.

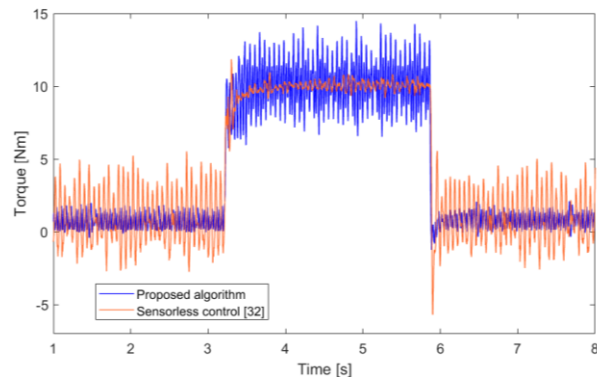


Fig. 34 Measured torque during rated load step appliance and removal at 250 rpm, obtained with the proposed algorithm (blue) and with sensorless torque control in [32] (red) on the second test bench.

Fig. 35 and Fig. 36 show the speed and the measured torque, respectively, obtained after applying and removing a full load step at very low speed (50 rpm) to both algorithms. The proposed algorithm shows a generally more stable performance at very low speed, with smaller speed and torque ripples when the rated torque is applied. Moreover, the speed overshoot obtained with the proposed algorithm when the load is removed is much lower than in the case of the sensorless control torque in [32].

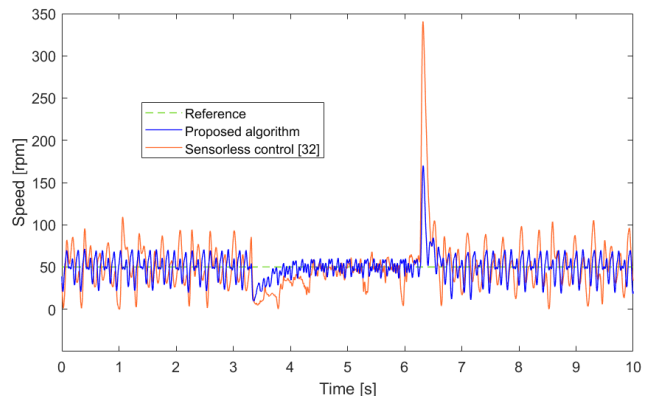


Fig. 35 Measured speed during rated load step appliance and removal at 50 rpm, obtained with the proposed algorithm (blue) and with the sensorless torque control in [32] (red) on the second test bench.

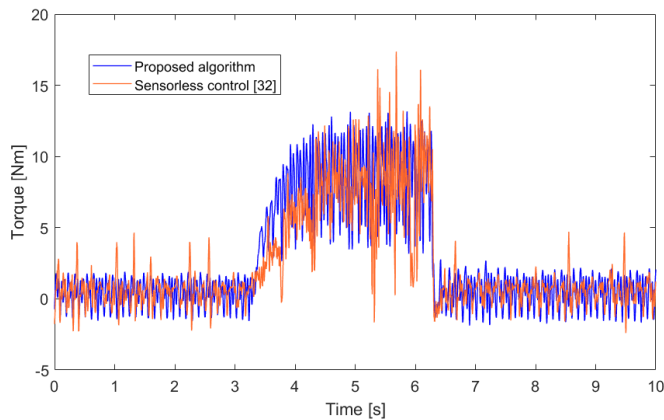


Fig. 36 Measured torque during rated load step appliance and removal at 50 rpm, obtained with the proposed algorithm (blue) and with sensorless torque control in [32] (red) on the second test bench.

Finally, an acoustic measurement is carried out to evaluate the intensity of the motor noise with both algorithms. The noise is measured while the motor is rotating at 250 rpm with full load torque applied, evaluated at 0.8m from the motor. The results of the measurements are:

- Background noise: 38 dB
- Sensorless torque control [32]: 53 dB
- Proposed algorithm: 49 dB

## V. CONCLUSIONS

A high-frequency voltage injection sensorless algorithm is considered in this study. In particular, a square wave at the switching frequency is injected, in order to minimize the voltage injection disadvantages, the main of which is the acoustic noise. The algorithm is applied to SPMSMs, which are characterized by a low anisotropy ratio and, therefore, the signal-to-noise ratio of such sensorless algorithms is significantly low. The experimental tests show the impossibility of using a double sample approach (e.g., two current samples per PWM period), which is usually used for IPMSM. On the contrary, the oversampling method proposed in this paper shows a good angle estimation and a FOC is implemented using the proposed technique. The proposed sensorless algorithm demonstrates a good response both with no-load and full-load; the stability is kept also during load steps and the speed loop bandwidth is about 5 Hz. A parallel comparison between the proposed algorithm and a state-of-art injection sensorless algorithm (presented in [32]) has been also carried out, showing a better response of the proposed algorithm in terms of torque and speed in most of the tests.

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