

## NUMERICAL INVESTIGATION OF TIDAL FORCING ON THE STABILITY OF BIFURCATIONS

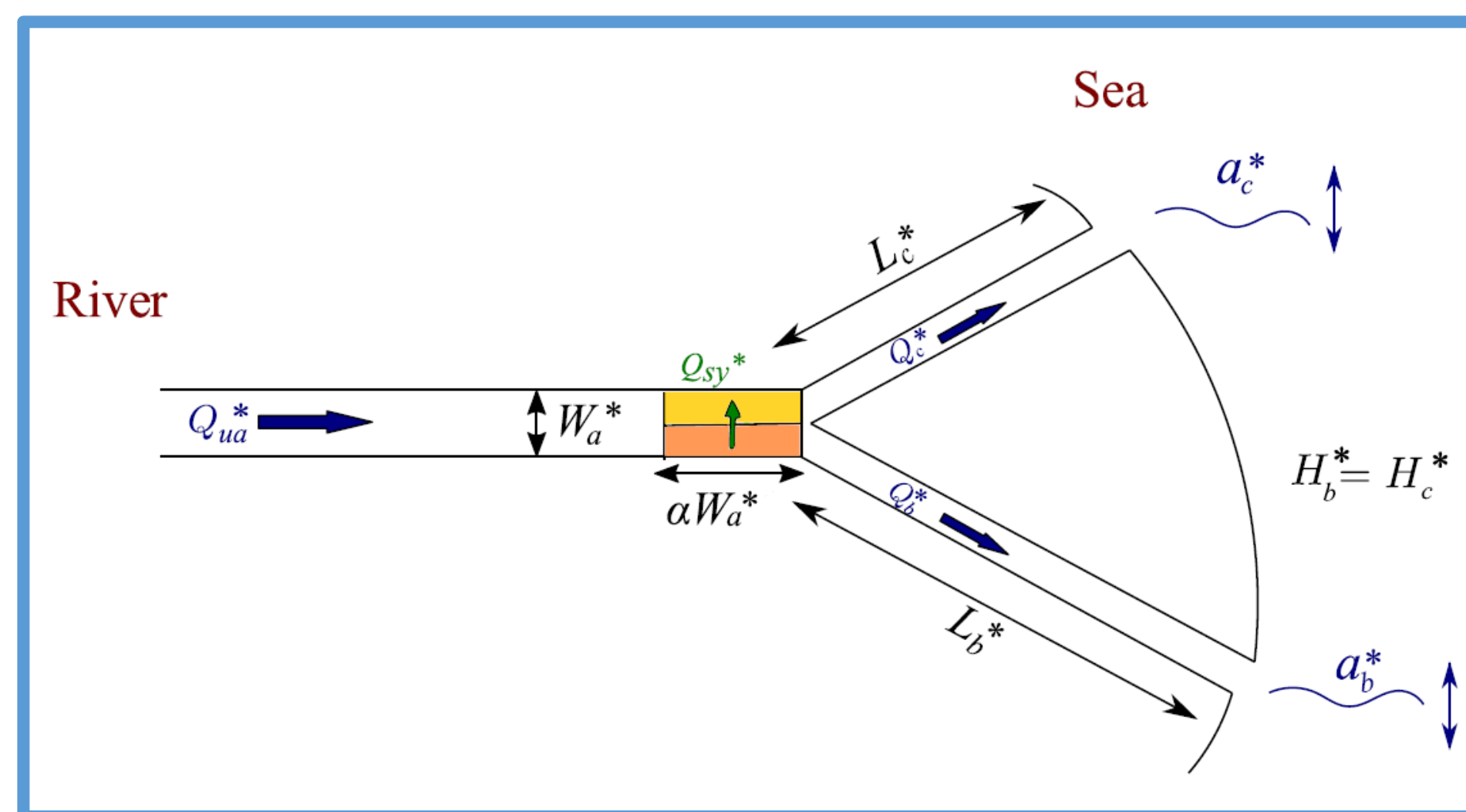
Lorenzo Durante <sup>1\*</sup>, Michele Bolla Pittaluga <sup>1</sup> & Nicoletta Tambroni <sup>1</sup>

(1) Dipartimento di Ingegneria Civile, Chimica e Ambientale, Università di Genova (Genova)

### Theoretical Background



FROM NATURE  
TO MODELS



Scheme of the tidal bifurcation with notation.

### Controlling parameters

$$\theta = \frac{q_{ua}^{*2}}{(s-1)g^*d_s^*C_a^2D_{ua}^{*2}}$$

*Shields Parameter*

$$\beta_a = \frac{W_a^2}{2D_{ua}^*}$$

*Aspect Ratio*

$$ds = \frac{ds^*}{D_{ua}^*}$$

*Dimensionless grain size*

$$\varepsilon = \frac{a^*}{D_{ua}^*}$$

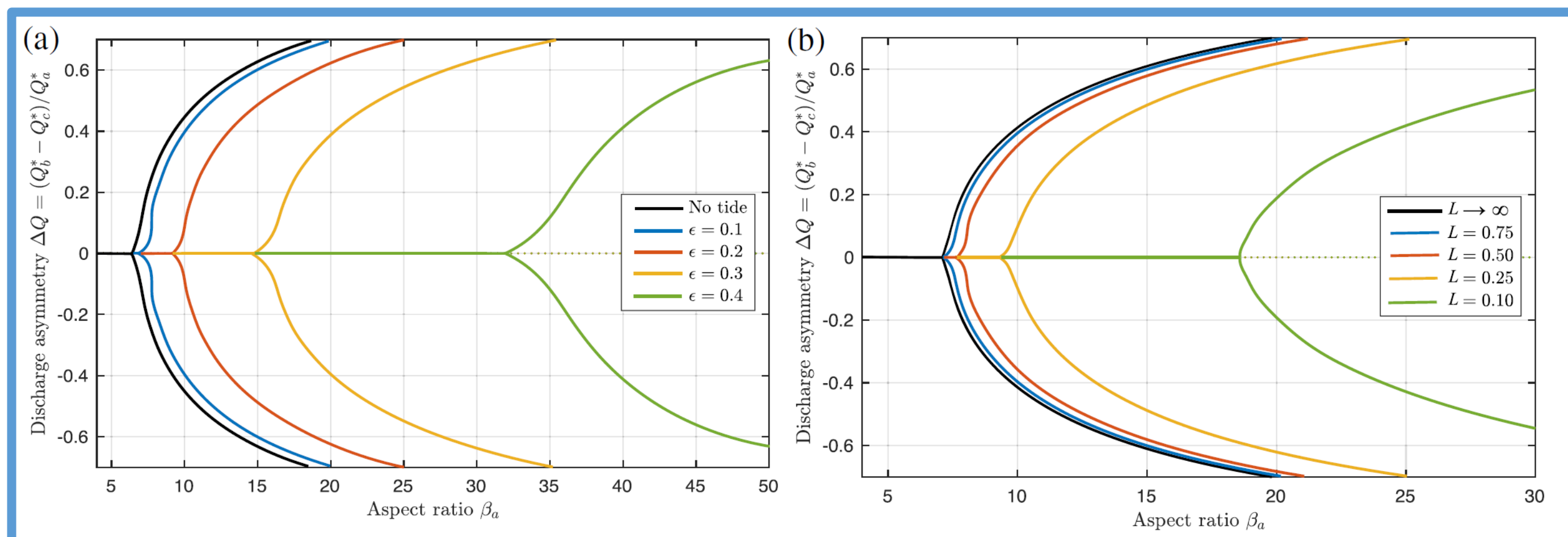
*Dimensionless tide parameter*  
Tidal amplitude  
Uniform flow depth

$$L = \frac{L_b^*(c)}{D_{ua}^*/S_a}$$

*Dimensionless length*  
Branches length  
Backwater length

Fluvial case

Tidal case

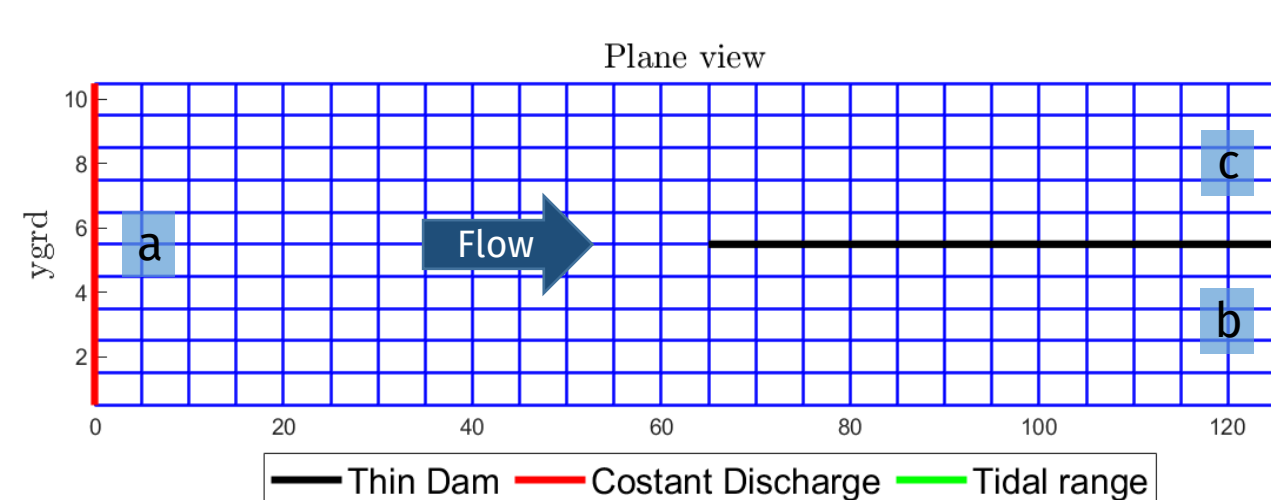


Equilibrium diagrams for a tidal bifurcation with symmetrical downstream branch lengths for (a) different values of the tidal forcing  $\varepsilon$  ( $L=0.5$ ) and (b) scaled channel lengths  $L$  ( $\varepsilon=0.2$ ) (Ragno et al., 2020).

**Unstable configurations** (when  $\beta_a > \beta_{cr}$ ) often result in the closure of one downstream branch, such that all the water flows in the other channel ( $\Delta Q \rightarrow 1$ ).

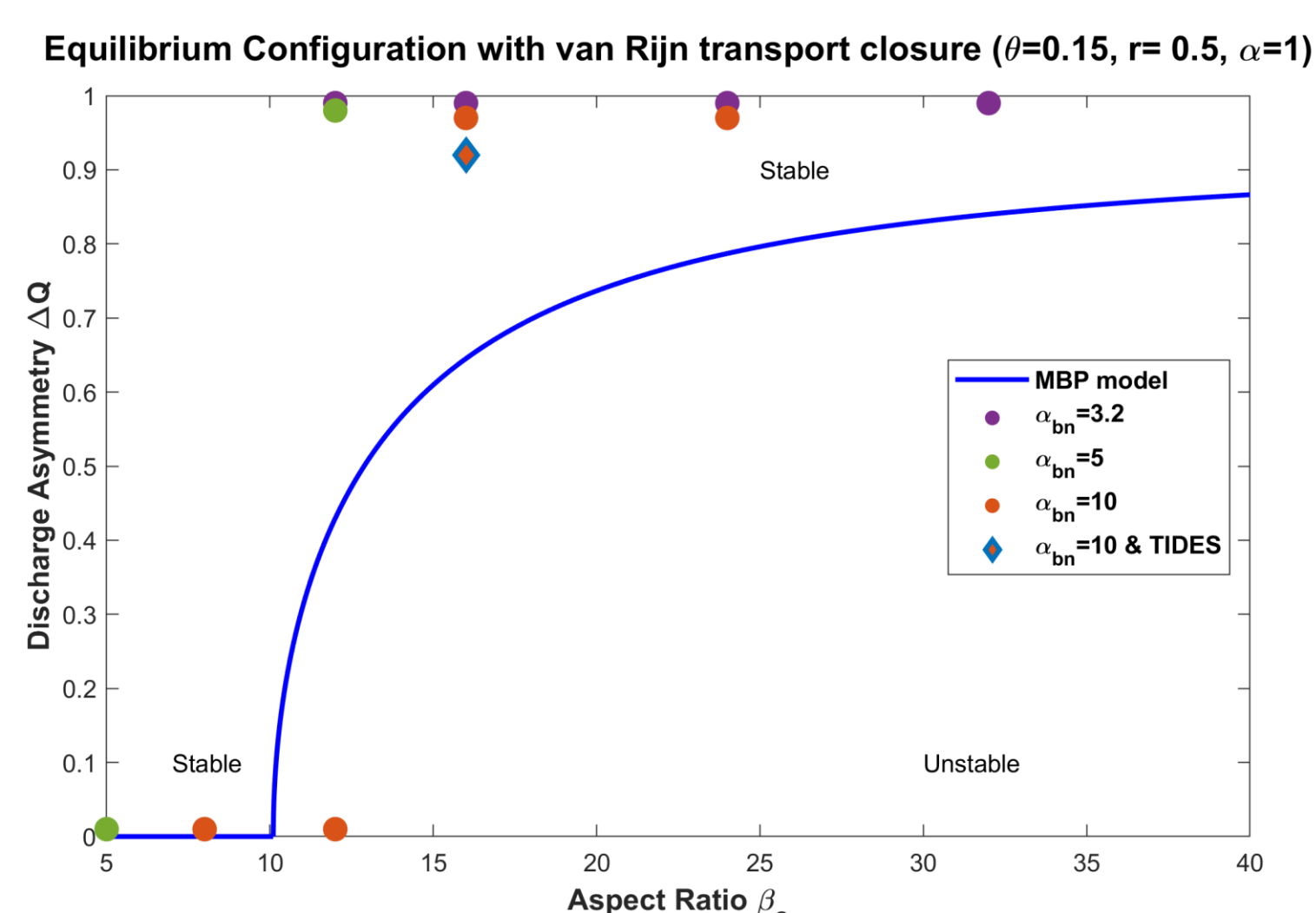
### Numerical Modelling

#### Model validation



Representative sketch of the 2D computational grid of the model set-up in Delft3D.

The numerical results were compared to the theory of Bolla Pittaluga et al. (2015) for **pure riverine case** through, also, a sensitivity analysis on the parameter  $\alpha_{bn}$  measuring the contribution of the transversal bed slope on the sediment transport.



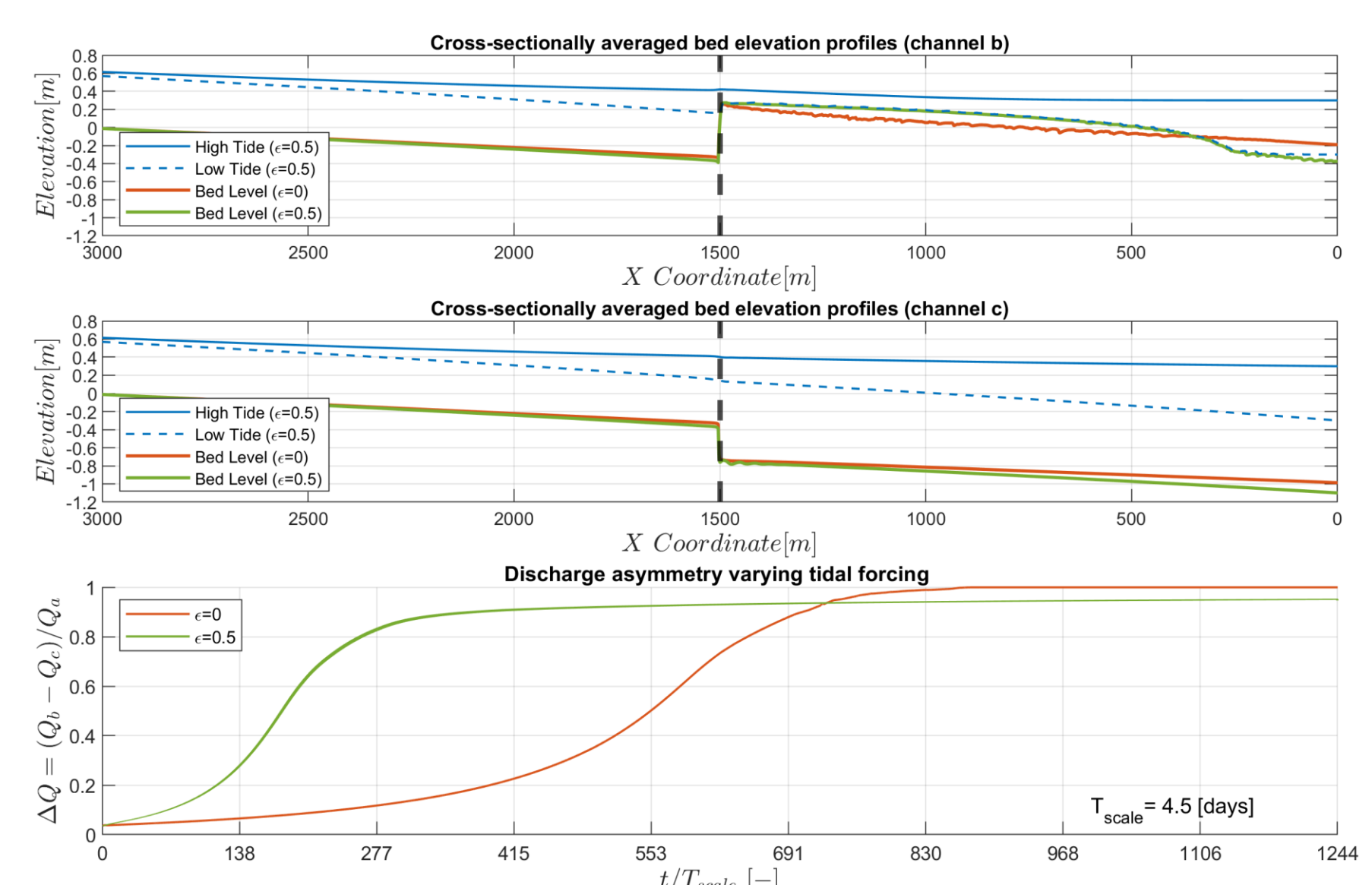
Numerical results, filled dots, are compared with analytical solution of Bolla Pittaluga et al. (2015), continuous line. The dot colours correspond to different values of the parameter  $\alpha_{bn}$ .

Results are in a reasonable agreement with theoretical predictions.

#### Preliminary results of the tidal effect

The **tidal range** has a **stabilizing effect** on the system due to its erosive character, which is capable to keep morphodynamically active the branches. As found by Ragno et al. (2020), the **stability increase** both with  $\varepsilon$  **increment** and  $L$  **reduction**.

Comparison between the equilibrium bottom profiles in the pure riverine ( $\varepsilon=0$ ) and tidal ( $\varepsilon=0.5$ ) cases:



Competing effect of an unstable pure riverine bifurcation versus the stabilizing effect of the tidal range ( $\theta=0.15$ ,  $\beta_a=16$ ,  $\varepsilon=0.5$ ,  $L=0.5$ ).

In the present case results suggest, as in the theory, that the bifurcation node is too far from the sea to allow for tidal propagation significantly affecting the critical aspect ratio.